## Time: $\mathbf{3}$ Hours

Max Marks: 50

Course Outcomes: On completion of the course, the student will be able to:

| CO1 | To recall the quantitative models used in business decisions. How to translate business sit- <br> uation into quantitative models for optimal decision making |
| :--- | :--- |
| $\mathbf{C O 2}$ | To develop an understanding of basic management science techniques and their role in <br> managerial decision-making, create a scientific approach to formulation and problem <br> solving under competitive environment |
| $\mathbf{C O 3}$ | To develop mathematical models for a real life situation and problems in Business and <br> Management; Conducting what if analysis and Scenario analysis to find the activities to <br> optimize cost and time |
| $\mathbf{C O 4}$ | To apply various Management Science techniques for Resource, time and cost Optimization <br> in Business and Management |
| $\mathbf{C O 5}$ | Evaluate the principles of construction of mathematical models of conflicting situations and <br> mathematical analysis methods of Management Science |
| $\mathbf{C O 6}$ | Have skills to develop Management Science objectives, mathematical methods, <br> computer systems and analyzing different situations in the industrial/ business scenario <br> Involving limited resources and finding the optimal solution within the constraints. |

## PART A <br> (Answer ALL questions. Each question carries 2 marks)

| Q. Nos. | Questions | Marks | BL | CO |
| :---: | :--- | :---: | :---: | :---: |
| 1 | List any four applications of Operation Research in Business <br> and Industry. | 2 | 1 | CO 1 |
| 2 | Explain the terms: (a) Unbounded Solution (b) Saddle point | 2 | 2 | CO 2 |
| 3 | At a service Centre customers arrive at the rate of 10 per hour <br> and are served at the rate of 15 per hour. Their arrival follows <br> Poisson and service in exponential distribution. Find the aver- <br> age length and average waiting time in the system. | 2 | 3 | CO 3 |
| 4 | Distinguish between Transportation and Assignment problems | 2 | 4 | $\mathrm{CO4}$ |
| 5 | Define sequencing Problem. | 2 | 5 | $\mathrm{CO5}$ |

PART B
(Answer ANY FIVE Questions. Each question carries 4 marks)

| Q. Nos. | Questions | Marks | BL | CO |
| :---: | :---: | :---: | :---: | :---: |
| 6 | Solve the following transportation problem (basic feasible solution) for maximum profit: <br> Availability at warehouses: $\mathrm{X}-200$ units, $\mathrm{Y}-500$ units $\mathrm{Z}-300$ units Demand in the market: A-180 units, B-320 units, C-100 units, 400 units. | 4 | 3 | CO5 |
| 7 | Obtain the optimal strategies for both players and determine the value of the game. | 4 | 6 | C06 |
| 8 | A man thinks of investing some amount initially in either <br> Project A or Project B. For the Project ' A ' he has to invest Rs. 8000 and Rs. 7000 for the Project ' $B$ '. The completion of Project A has three states of nature; either there is a high demand (probability $=0.5$ ) and yields a profit Rs. 12000 or an average demand (probability $=0.3$ ) with a profit Rs. 8000 or a low demand giving a profit Rs. 5000 . The completion of Project $B$ has three states of nature; either there is a high demand (probability $=0.6$ ) and yields a profit Rs. 10000 or an average demand (probability $=0.3$ ) with a profit Rs. 9000 or a low demand giving a profit Rs. 5000 . <br> Construct the decision tree and take a choice giving maximum return. | 4 | 6 | CO6 |
| 9 | Distinguish between CPM and PERT (any 8 comparisons) | 4 | 4 | CO 4 |
| 10 | A bakery shop keeps stock of a popular brand of cake. Previous experience indicates the daily demand as given below: <br> Simulate the demand for next 10 days, using the following random numbers, $48,78,19,51,56,77,15,14,68,09$. Find out the stock | 4 | 3 | CO4 |

(5X4=20 marks)

|  | situation, if the owner of the bakery decides to make 30 cakes every <br> day. Also calculate the daily average demand on the basis of simu- <br> lated data |  |  |  |
| :---: | :--- | :---: | :---: | :---: |
| 11 | Write down KENDALL'S NOTATION for representing Queuing <br> models and explain the symbols used | 4 | 2 | $\mathrm{CO5}$ |
| 12 | Explain (a) Sensitivity Analysis in LPP <br> (b) Integer Programming | 4 | 2 | $\mathrm{CO2}$ |

PART C
(Answer ANY TWO questions. Each question carries 10 marks)

| Q. Nos. | Questions |  |  |  |  |  | Marks | BL | CO |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 13 | A firm makes products X and Y and has a total production of a Capacity of 9 tonnes per day. X and Y require the same production capacity. The firm has a permanent contract to supply at least 2 tonnes of X and at least 3 tonnes of Y per day to another company. Each tonne of X requires 20 machine hours production time and each tonne of Y requires 50 machine hours production time, the daily maximum possible number of machine hours is 360 . All the firms output can be sold, and the profit made is Rs. 80 per tonne of $X$ and Rs. 120 per tonne of $Y$. <br> Formulate a mathematical Model of the above LPP and find its Optimal solution. Also obtain the dual of LPP. |  |  |  |  |  | 10 | 5 | CO5 |
| 14 | Solve the following Assignment problem. |  |  |  |  |  | 10 | 3 | CO 3 |
|  | Man | M 1 | M 2 | M 3 | M 4 | M 5 |  |  |  |
|  | Job A | 1 | 3 | 2 | 3 | 6 |  |  |  |
|  | Job B | 2 | 4 | 3 | 1 | 5 |  |  |  |
|  | Job C | 5 | 6 | 3 | 4 | 6 |  |  |  |
|  | Job D | 3 | 1 | 4 | 2 | 2 |  |  |  |
|  | Job E | 1 | 5 | 6 | 5 | 4 |  |  |  |
| 15 | Construct a Network diagram for the given activity and find the total project duration and critical path <br> What duration shall have $99 \%$ confidence for project completion? (use Z: 2.33) |  |  |  |  |  | 10 | 5 | CO 5 |

( $2 \times 10=20$ marks)

